



# **Zooming and Shrinking of Digital Images & Relationships between pixels**

## **Lec-5**

**By**

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# Zooming and Shrinking Digital Images

## 1. Zooming

Zooming requires two steps :

### 1. Creation of new pixel locations

إنشاء مواقع بكسل جديدة

### 2. Assignment of gray levels to those new locations

تعيين مستويات الرمادي لتلك المواقع الجديدة

# Zooming

## 1. Nearest neighbor interpolation (Zero order hold)

### 1. Nearest neighbor interpolation (zero order hold):

is performed by repeating the pixel values, thus creating checkerboard effect. Pixel replicate is used to increase the size of an image an integer number of times.

### Example :

Enlarge the following 8-bit image 2 times.

20	30	50
33	45	56
87	19	35

# Zooming

## 1. Nearest neighbor interpolation (Zero order hold)

### Solution :

1. Enlarge the rows:

20	20	30	30	50	50
33	33	45	45	56	56
87	87	19	19	35	35

2. Enlarge the columns :

20	20	30	30	50	50
20	20	30	30	50	50
33	33	45	45	56	56
33	33	45	45	56	56
87	87	19	19	35	35
87	87	19	19	35	35

# Zooming

## 2. Bilinear interpolation

is performed by using bilinear interpolation between adjacent pixels. Thus creating a blurring image. This can be done by finding the **average** gray values between two pixels and use that as pixel value between those two, starting also with rows and use the expanded result to enlarge the column.

### Example :

Enlarge the following 8-bit image 2 times.

69	50	80
45	60	66
30	55	80

# Zooming

## 2. Bilinear interpolation

**Solution :**

1. Enlarge the rows:

69	59	50	65	80
45	52	60	63	66
30	42	55	67	80

2. Enlarge the columns :

69	59	50	65	80
57	55	55	64	73
45	52	60	63	66
37	47	57	65	73
30	42	55	67	80

When the image size is  $M \times N$  the bilinear enlarge image result will be

$$2M - 1 \times 2N - 1$$

In our example:

The image size is  $3 \times 3$  will be  $(2 \times 3 - 1) \times (2 \times 3 - 1) = 5 \times 5$

## 2. Shrinking

Is undersampling performing by detection of row and column

### Example:

Shrinking the following 8-bit image  $\frac{1}{2}$  times.

<b>20</b>	<b>20</b>	<b>30</b>	<b>30</b>	<b>50</b>	<b>50</b>
<b>20</b>	<b>20</b>	<b>30</b>	<b>30</b>	<b>50</b>	<b>50</b>
<b>33</b>	<b>33</b>	<b>45</b>	<b>45</b>	<b>56</b>	<b>56</b>
<b>33</b>	<b>33</b>	<b>45</b>	<b>45</b>	<b>56</b>	<b>56</b>
<b>87</b>	<b>87</b>	<b>19</b>	<b>19</b>	<b>35</b>	<b>35</b>
<b>87</b>	<b>87</b>	<b>19</b>	<b>19</b>	<b>35</b>	<b>35</b>

## 2. Shrinking

**Solution :**

**1. In the rows:**

20	20	30	30	50	50
33	33	45	45	56	56
87	87	19	19	35	35

**2. In the columns:**

20	30	50
33	45	56
87	19	35

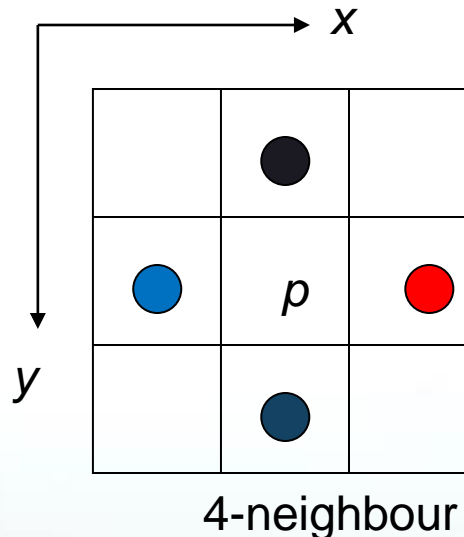
# Relationships Between Pixels

## 1. Pixel Neighbours

1. If an image  $f(x,y)$ , particular pixel  $p$  and  $q$ , pixel  $p$  at coordinates  $(x,y)$  has **four horizontal and vertical neighbors** whose coordinates are given by

$$(x+1,y), (x-1,y), (x,y+1), (x,y-1)$$

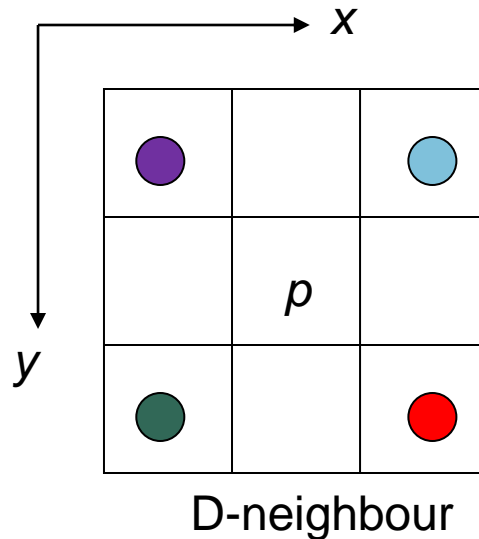
This set of pixels, called the **4-neighbors** of  $p$ , is denoted by  $N_4(p)$ . Each pixel is a unit distance from  $(x,y)$



# 1. Pixel Neighbours

2) The four diagonal neighbors of  $p$  have coordinates and are denoted by  $N_D(p)$ .

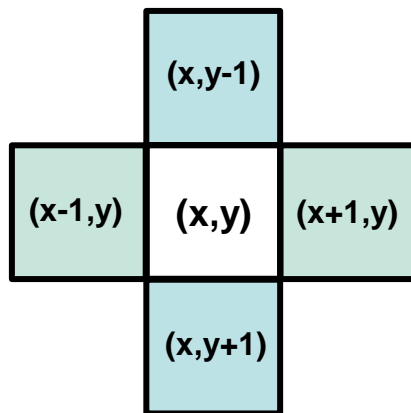
$(x + 1, y + 1)$ ,  $(x + 1, y - 1)$ ,  $(x - 1, y + 1)$ ,  $(x - 1, y - 1)$



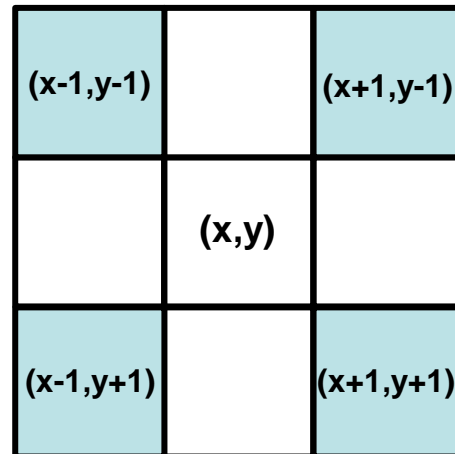
# 1. Pixel Neighbours

- 3) These points, together with 4-neighbors, are called the 8-neighbors of  $p$  denoted  $N_8(p)$ .

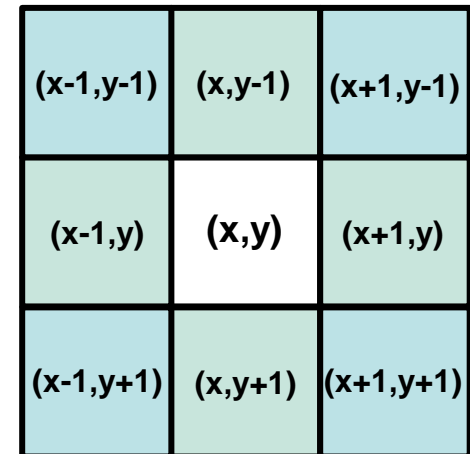
As before, some of the points in  $N_D(p)$  and  $N_8(p)$ , fall outside the image if  $(x,y)$  is one the border of the image




4-neighbourhood



D-neighbourhood



8-neighbourhood



# End of Lecture